



# Certificate

Ref: 11/UN34.13/TU.1/2020

This is to certify that

*Marcellinus Andy Rudhito*

has participated in

**The 7<sup>th</sup> International Conference on Research, Implementation, and Education  
of Mathematics and Science 2020**

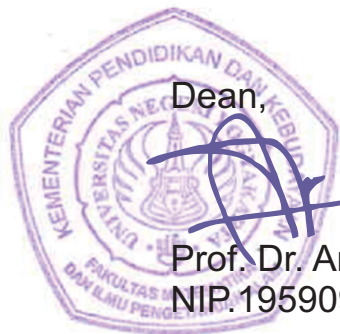
organized by Faculty of Mathematics and Natural Sciences, Universitas Negeri Yogyakarta  
on September, 25<sup>th</sup> - 26<sup>th</sup>, 2020

as a

*Presenter*

with the paper entitled :

Solution of the SIR Mathematical Model for the Spread of Covid-19 Using GeoGebra



Dean,

Prof. Dr. Ariswan, M.Si.  
NIP.195909141988031003

Yogyakarta, September, 25, 2020  
The Head of Committee



Dr. Supardi, S.Si., M.Si.  
NIP 197110151998021001



ISBN : 978-602-74529-7-8

# PROCEEDINGS OF THE 7th INTERNATIONAL CONFERENCE ON RESEARCH, IMPLEMENTATION AND EDUCATION OF MATHEMATICS AND SCIENCES (7th ICRIEMS)

Science, Technology, and  
Education in The Global Era for  
Virtuous and Competitive  
Generation



Yogyakarta, 25 – 26 September 2020

**FMIPA UNIVERSITAS NEGERI YOGYAKARTA  
INDONESIA**

PROCEEDINGS OF THE 7<sup>th</sup> INTERNATIONAL CONFERENCE  
ON RESEARCH, IMPLEMENTATION AND EDUCATION OF  
MATHEMATICS AND SCIENCES(7<sup>th</sup> ICRIEMS)

---

Science, Technology, and Education in  
The Global Era for Virtuous and  
Competitive Generation

Yogyakarta, 25 – 26 September 2020

FMIPA UNIVERSITAS NEGERI YOGYAKARTA

**Proceedings of The 7<sup>th</sup> International Conference On Research, Implementation And Education of Mathematics And Sciences (7<sup>th</sup> ICRIEMS): Science, Technology, and Education in The Global Era for Virtuous and Competitive Generation**

**Organizing Committee:**

Ketua : Dr. Supardi, M.Si  
Wakil Ketua : Nur Aeni Ariyanti, PhD  
Sekretaris 1 : Rizka Apriani Putri, M.Sc  
Sekretaris 2 : Isti Yunita, PhD

**Reviewers:**

Nur Aeni Ariyanti, SP., MP., M.Agr.  
Dr. Tien Aminatun, S.Si., M.Si.  
Dr. Ixora Sartika Mercuriani, M.Si.  
Dr. Slamet Suyanto, M.Ed.  
Dr. Retno Arianingrum  
Dr. Sri Handayani  
Dr. Antuni Wiyarsi  
Dr. Eli Rohaeti  
Dr. Karyati, S.Si., M.Si.  
Kismiantini, S.Si., M.Si., Ph.D.

Dr. Dhoriva Urwatul Wustqa, M.S.  
Dr. Agus Maman Abadi, S.Si., M.Si.  
Dr. Ali Mahmudi, S.Pd., M.Pd.  
Wahyu Setyaningrum, S.Pd., M.Ed., Ph.D.  
Dr. Ariyadi Wijaya, S.Pd.Si., M.Sc.  
Dr. Drs. Sugiman, M.Si.  
Dr. Insih Wilujeng  
Dr. Restu Widiatmono, S.Si., M.Si.  
Dr. Rida Siti Nur'aini Mahmudah, S.Si., M.Si.  
Dr. Pujiyanto, S.Pd., M.Pd.

**Editors:**

Didik Setyawarno, M.Pd.  
Dr. Rida Siti N  
Fika Fauzi, M.Sc.  
Marfuatun, M.Si.  
Annisa Filaeli, M.Si.  
Metridewi Primastuti, M.Pd.

Rio Christy Handziko, M.Pd.  
Atik Kurniawati, M.Pd.  
Musthofa, M.Sc.  
Heru Sukoco, M.Pd.  
Anggit Reviana, M.Pd.

**Published by:**

FMIPA Universitas Negeri Yogyakarta  
Karangmalang, Yogyakarta 55281  
Tel. (0274)550227, Fax. (0274)548203  
© October 2019  
ISBN 978-602-74529-4-7

ISBN 978-602-74529-7-8





Part of **SPRINGER NATURE**

PROCEEDINGS | JOURNALS | BOOKS

---

Search

Series: **Advances in Social Science, Education and Humanities Research**

# Proceedings of the 7th International Conference on Research, Implementation, and Education of Mathematics and Sciences (ICRIEMS 2020)

---

## PREFACE

---

We are pleased to present you the 7th International Conference on Research, Implementation, and Education of Mathematics and Science (ICRIEMS 7) Conference Proceeding. The 7th ICRIEMS was held on 25-26th September 2020 and organized by the Faculty of Mathematics and Science, Universitas Negeri Yogyakarta, Indonesia. The theme of the 7th ICRIEMS is "Science, Technology, and Education in The Global Era for Virtuous and Competitive Generation". We hope that the theme will bring the knowledge to navigate science and technology for the good of humanity and environment by sharpening the morality and ethnics as well as creativity. This ability could be used to handle globalized problem such as economics, education, politics, social culture, and science and technology.

In this conference, there are prominent practitioners, researchers, students and educators sharing their research findings and exchange ideas. Furthermore, six keynote speakers have delivered their talk, i.e.: Prof. Dr. Lee Ching Kuo from Taipei Medical University, Taiwan; Prof. Peter Charles Taylor from Murdoch University, Australia; Prof. Dr. Suriani Abu Bakar from Universiti Pendidikan Sultan Idris, Malaysia; Assoc. Prof. Chatree Faikhamta

from Kasetsart University, Thailand; Dr. Ariyadi Wijaya from Universitas Negeri Yogyakarta, Indonesia; and Dr. Agus Purwanto from Institut Tekn Sepuluh Nopember, Indonesia. In addition, two invited speakers also contributed in this conference, i.e.: Dr. Retno Arianingrum from Universitas Negeri Yogyakarta, Indonesia; and Assoc. Prof. Vichit Rangpan from Yala Rajabhat University, Thailand.

We have accepted 190 articles from several researchers including from Indonesia, Thailand, Malaysia, and Turkey. We have peer-reviewed those papers and selected 100 papers for publication in Atlantis Press. We believe that the proceedings will provide references of novel research in sciences, which may give an impetus to stimulate further studies in all related areas. Finally, we would like to address the acknowledgment and big appreciation to all authors and participants who have been actively involved in the conference. We also wish to thanks to our scientific committee for their invaluable comments during review process.

3 February 2021

Editors

Supardi

Nur Aeni Ariyanti

Isti Yunita

## Atlantis Press

Atlantis Press – now part of Springer Nature – is a professional publisher of scientific, technical & medical (STM) proceedings, journals and books. We offer world-class services, fast turnaround times and personalised communication. The proceedings and journals on our platform are Open Access and generate millions of downloads every month.

For more information, please contact us at: [contact@atlantis-press.com](mailto:contact@atlantis-press.com)

► PROCEEDINGS

► ABOUT

► JOURNALS

► NEWS



Part of **SPRINGER NATURE**

[PROCEEDINGS](#) | [JOURNALS](#) | [BOOKS](#)

Search

Series: [Advances in Social Science, Education and Humanities Research](#)

# Proceedings of the 7th International Conference on Research, Implementation, and Education of Mathematics and Sciences (ICRIEMS 2020)

ARTICLES

Search

[+ Advanced search](#)

SEARCH

101 articles

## Proceedings Article

### Potential Roles of Extracellular Traps in the Progression of Coronavirus Disease (Covid)-19

Kartika R Pertiwi

Millions of people have suffered from coronavirus disease (COVID)-19 worldwide with diverse clinical presentations, ranging from asymptomatic to severe pneumonia leading to respiratory failure and even death. In critical phases, thrombosis and inflammation are considered as the important contributors...

[+ Article details](#)

[+ Download article \(PDF\)](#)



Hermansah, Dedi Rosadi, Abdurakhman, Herni Utami, Gumgum Darmawar



This research proposes the multi-output Nonlinear Autoregressive Neural Network (NARNN) method to forecast multivariate time series data containing the input layer, one hidden layer, and the output layer. The multi-output NARNN method is performed by applying the logistic activation function and the...

[+ Article details](#)

[+ Download article \(PDF\)](#)

---

#### Proceedings Article

### Modelling and Analyzing Quadruped Robot Motion with Two Motors using Max-Plus Algebra

Laurensius I. Setiawan, Laurent Simangunsong, Marcellinus A. Rudhito

Nowadays mathematics has been widely used to program and control robots. One type of robots that exists is a robot with a type of propulsion in the form of legs, which is more effective for uneven and uphill terrain compared to the type of wheel drive. The study discusses quadruped robot motion with...

[+ Article details](#)

[+ Download article \(PDF\)](#)

---

#### Proceedings Article

### Solution of the SIR Mathematical Model for the Spread of Covid-19 Using *GeoGebra*

Marcellinus A. Rudhito, Dewa P. W. Putra

This study aims to find solution of the SIR modelling for the spread of Covid-19 in populations of an area for normal, new normal and lockdown conditions using GeoGebra. This research consists of two stages of numerical assessment of mathematical model completion using GeoGebra spreadsheets and building...



[+ Article details](#)[+ Download article \(PDF\)](#)

---

## Proceedings Article

### Smoothing Spline Estimator in Nonparametric Regression (Application: Poverty in Papua Province)

Ni P. A. M. Mariati, I N. Budiantara, Vita Ratnasari

Three estimates were obtained in estimating the regression curve, namely estimation of parametric regression, nonparametric regression and semiparametric regression. The most popular nonparametric regression option is smoothing spline. The advantage of smoothing spline is that it can use variable data...

[+ Article details](#)[+ Download article \(PDF\)](#)

---

## Proceedings Article

### Robust Spatial Regression Model in City Minimum Wages (CMW) in East Java 2018

Nur Atikah, Dyah L. Afifah, Nadia Kholifia

The minimum wage determination has always been a moment that is eagerly awaited every year by both workers and employers, even though it always creates polemics. The government seeks to raise the minimum wage every year to guarantee a decent life for workers. The fulfillment of the need for a decent...

[+ Article details](#)[+ Download article \(PDF\)](#)

---

## Proceedings Article

# Solution of the SIR Mathematical Model for the Spread of Covid-19 Using *GeoGebra*

Marcellinus A. Rudhito<sup>1,\*</sup> Dewa P. W. Putra<sup>2</sup>

<sup>1,2</sup>Department of Mathematics Education, Universitas Sanata Dharma, Yogyakarta

\*Corresponding author. Email: [rudhito@usd.ac.id](mailto:rudhito@usd.ac.id)

## ABSTRACT

This study aims to find solution of the SIR modelling for the spread of Covid-19 in populations of an area for normal, new normal and lockdown conditions using *GeoGebra*. This research consists of two stages of numerical assessment of mathematical model completion using *GeoGebra* spreadsheets and building *GeoGebra* Applets for system simulations. The results show that the SIR model for the spread of Covid-19 can be solved numerically by using *GeoGebra* spreadsheets, by first changing the system of differential equations into systems of difference equations. Furthermore, by using existing facilities in *GeoGebra*, *GeoGebra* Applets can be arranged to simulate system dynamics for normal, new normal and lockdown conditions.

**Keywords:** *SIR, Mathematical Model, Covid-19, GeoGebra.*

## 1. INTRODUCTION

Experts modeling the spread of the disease, have started to study Covid-19. One of the studies made is a mathematical modeling of the spread of Covid-19. Lin [1] and Rong [2] investigated of the spread of Covid-19 in Wuhan City using the SEIR (Susceptible-Exposed-Infectious-Removed) Model. The mathematical concept used in this model is a differential equation. The mathematical concept used in Covid-19 modeling usually uses advanced mathematical concepts, such as differential equations, time series analysis. The construction of the model and its solutions are technically difficult to understand for the general public. The models and solutions provided are not fully understood by the community. Assumptions in the model after being converted to parameters make it more difficult for the general public to understand the model. Therefore, people need to be given a simple understanding of the concept of mathematical models used for the spread of Covid-19, for example assumptions, modeling, completion, simulation results and predictions.

Solution and simulation of mathematical models become an important part. The results of this simulation can show visually about the current situation and predictions of a situation. Software that can be used to make simulations of a mathematical model of the spread of diseases including, *MATLAB*, *Mathematica*, *GeoGebra*, and others. *GeoGebra* is a software that

provides facilities for solving equations (polynomial, exponent, differential) with graphical and numerical approaches. The solution of certain mathematical models can be solved using *GeoGebra* and provides a visual representation. Model simulation activities using *GeoGebra* can also be designed interactively, i.e. there is a slider facility that can be used to design parameters in mathematical models. Activities that can take place interactively are expected to make it easier to do or understand the results of simulations of the mathematical model for the spread of Covid-19.

There are at least five types of disease spread modeling, i.e. compartment model, stochastic model, Phenomenological model or time growth curve model, "time series" or "predictive class of data mining and AI (Artificial intelligence)", and class hybrid models (a combination of two or more model classes). In this article, we will discuss the most widely known model, i.e. the compartment model, by taking the simplest model, the SIR model. This model is applied to three different regional conditions namely normal conditions (without intervention), new normal conditions (by applying, clean living patterns, maintaining physical distance) and lockdown conditions (area closure). Next, settlement and simulation will be arranged with *GeoGebra* Applets so that the simulation the model can be done interactively and can be well understood by the general public. The novelty of this research is to determine SIR modeling

solutions for Covid-19 disease using GeoGebra, create simulation applets and compare the results with existing analytical solutions.

## 2. RESEARCH METHODOLOGY

This research consists of two stages namely studying numerical completion of a SIR mathematical model and completing it using a spreadsheets and building an Applet for system simulation. Model simulation will use the *GeoGebra Program*. *GeoGebra Applets* are used for model construction simulations. Facilities in *GeoGebra* for simulation display, including Input bar (algebraic display), Bar graph (visual display), and Spreadsheet (numeric display). The parameters in the model will be displayed using a slider so that it is more interactive.

## 3. RESULT AND DISCUSSION

The SIR model is one model to describe the spread of an infectious disease that was first developed by Kermack and McKendrick (1926-1927). This model divides a study population ( $N$ ) into 3 compartments [3]. Each compartment in the population will be expressed in terms of time function. The function  $S(t)$  states the number of individuals in the population who have the potential to be infected, ie individuals who have not been infected at the time  $t$ . The function  $I(t)$  states the number of individuals in the population infected at the time  $t$  and potentially transmits it to other individuals. Finally, the function  $R(t)$  states the number of individuals who have been infected at a time  $t$  and can be removed from the possibility of re-infection or can transmit it again to other individuals. Covid-19 is an infectious disease that can cause death for infected individuals. Therefore, in this article we used the SIR model by taking into account the mortality rate caused by the outbreak. This resulted in a decrease in the total population after the death due to the outbreak. This means that the total population is a function of decline with time units  $N(t)$ .

This model will use 3 parameters, namely the population death rate caused by the outbreak ( $d$ ), the recovery rate denoted by  $\gamma$ , and the contact rate of each infected ( $I$ ) individual with the susceptible infected person ( $S$ ) notated with  $a$ . This parameter  $a$  will affect the transmission rate. Based on [3], the transmission rate is expressed in the following equation:

$$\beta(N) = aN^{-0.95} . \quad (1)$$

This SIR model is stated in the following system of differential equations

$$\begin{cases} S' = -\beta(N)SI \\ I' = \beta(N)SI - (\gamma + d)I \\ R' = \gamma I \\ N' = -dI \end{cases} . \quad (2)$$

This model will be solved using *GeoGebra*. The first step in completing this model is by changing each equation in the system above into a different equation (difference equation) [4]. Obtained a system of different equations as follows.

$$\begin{cases} \Delta S = -\beta(N)SI \Delta t \\ \Delta I = [\beta(N)SI - (\gamma + d)I] \Delta t \\ \Delta R = \gamma I \Delta t \\ N' = -dI \Delta t \end{cases} \quad (3)$$

Next, model the solution at the time  $t = t_k$ , that is  $S(t_k) = S(t_{k-1}) + \Delta S$ ,  $I(t_k) = I(t_{k-1}) + \Delta I$ ,  $R(t_k) = R(t_{k-1}) + \Delta R$ ,  $N(t_k) = N(t_{k-1}) + \Delta N$ .

The next step is to iterate over the spreadsheets available on *GeoGebra*. Iteration is done to see the condition of each compartment in a certain time interval. The parameters in the model are estimated in value so that the iteration process can be carried out. Death rates by epidemics and cure rates were estimated using data on death rates by Covid-19 in Indonesia (<https://kawalcovid19.id/>) during March - June 2020. Parameter values  $d$  are at intervals  $0.02 \leq d \leq 0.09$  and parameter values  $a$  are at intervals. Reproductive Number Covid-19 from 1 January 2020 to 7 February 2020 is at an interval  $1.4 \leq \gamma \leq 6.49$  [5]. Reproductive Number is used to estimate the value of the contact rate parameter. Based on [3] and [6] the reproductive number value can be determined as follows

$$\mathcal{R}_0 = \frac{N_0 \beta(N_0)}{\gamma + d} . \quad (4)$$


Based on equations (1) and (4) the parameter values  $a$  are obtained at interval  $0.0443 \leq a \leq 2.2181$ . The interval values for the three parameters are created using the *slider* facility available in the *GeoGebra* menu. Suppose the initial value of each compartment is  $N_0 = 100001$ ,  $S_0 = 10000$ ,  $I_0 = 1$ , dan  $R_0 = 10000$ . Figure 1 below is a picture of a spreadsheet display in the iteration process.

The next step is to visualize the solution of the model in Graph view. In the *GeoGebra* graphical display we plot each point  $(t_k, N(t_k))$ ,  $(t_k, S(t_k))$ ,  $(t_k, I(t_k))$  and  $(t_k, R(t_k))$  with  $k = 0, 1, 2, 3, \dots$ . The final step is to connect each two consecutive dots in each compartment with a line segment.

### 3.1 Simulation for Normal Condition

A situation without intervention means that each individual in the entire population has no limited interactions with other individuals. This causes the value of the contact rate parameter  $a$  to be fixed at all times. From the contact rate parameter which is in the interval  $[0.0433, 2.2181]$ , for the simulation example, we take the mean value of the interval, which is  $a = 1.1312$ . Furthermore, by using parameter values  $d = 0.052$  and

File Edit View Options Tools Window Help



L1

	A	B	C	D	E	F	G	H	I	J
1	SIR Model									
2	$\Delta t = 0.13$									
3	Time	Population	Difference of N	Transmission Rate	Susceptible	Difference of S	Infected	Difference of I	Recovered	Difference of R
4	t	N(t)	$\Delta N$	$\beta(N)$	S	$\Delta S$	I	$\Delta I$	R	$\Delta R$
5	0	10001	-0.01	0	10000	-0.19	1	0.14	0	0.04
6	0.13	10000.99	-0.01	0	9999.81	-0.22	1.14	0.16	0.04	0.04
7	0.26	10000.98	-0.01	0	9999.6	-0.25	1.31	0.19	0.08	0.05
8	0.39	10000.97	-0.01	0	9999.35	-0.28	1.5	0.22	0.13	0.06
9	0.52	10000.96	-0.01	0	9999.07	-0.32	1.71	0.25	0.18	0.06
10	0.65	10000.95	-0.01	0	9998.75	-0.37	1.96	0.28	0.25	0.07
11	0.78	10000.94	-0.02	0	9998.38	-0.42	2.24	0.32	0.32	0.08
12	0.91	10000.92	-0.02	0	9997.96	-0.48	2.56	0.37	0.4	0.09
13	1.04	10000.9	-0.02	0	9997.47	-0.55	2.93	0.42	0.5	0.11
14	1.17	10000.88	-0.02	0	9996.92	-0.63	3.35	0.48	0.61	0.12
15	1.3	10000.85	-0.03	0	9996.29	-0.72	3.83	0.55	0.73	0.14
16	1.43	10000.83	-0.03	0	9995.57	-0.82	4.38	0.63	0.87	0.16
17	1.56	10000.79	-0.04	0	9994.75	-0.94	5.01	0.72	1.03	0.19
18	1.69	10000.76	-0.04	0	9993.8	-1.08	5.73	0.82	1.22	0.21
19	1.82	10000.71	-0.05	0	9992.72	-1.23	6.56	0.94	1.43	0.24
20	1.95	10000.66	-0.06	0	9991.49	-1.41	7.5	1.08	1.68	0.28
21	2.08	10000.61	-0.06	0	9990.08	-1.61	8.58	1.23	1.95	0.32

Figure 1 Iteration with spreadsheets in GeoGebra

$\gamma = 0.35$  obtained model solutions using GeoGebra in the following Figure 2.

Based on Figure 2, the peak of the pandemic occurred in the ninth week with a total of 4579 infected individuals from 100001 individuals in the initial population. As of the 26th week there were 1,284 deaths.

### 3.2 Simulation for New Normal Condition

This situation provides restrictions on the interaction of individuals in the population. Limitation of interaction is done by limiting social distance. In addition, interventions were also given to individual habits, namely by using masks, diligently washing hands and avoiding touching the nose, eyes and mouth using hands. These interventions will have an impact on the transmission rate of the virus. In this article, the intervention is expected to reduce the transmission rate by up to 50%. The model solution in this situation can be seen in the following Figure 3.

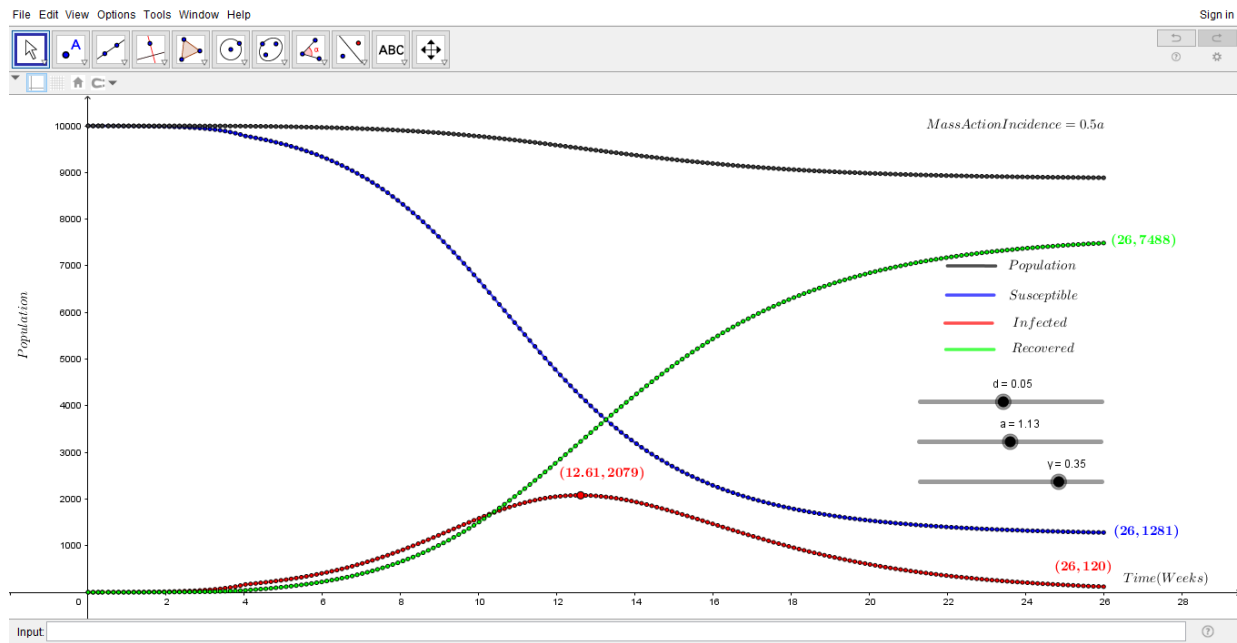
In this model, a new intervention starts from 4th week. Parameter values are applied from the beginning up to before the 4th week and after that the parameter values. Based on this, information is obtained that the peak of the pandemic will occur in the 12th week with a total of 2079 infected individuals from a total of 100001 population. As of the 26th week, there were 7488 individuals recovering and 1112 deaths.

### 3.3 Simulation for Lockdown Condition

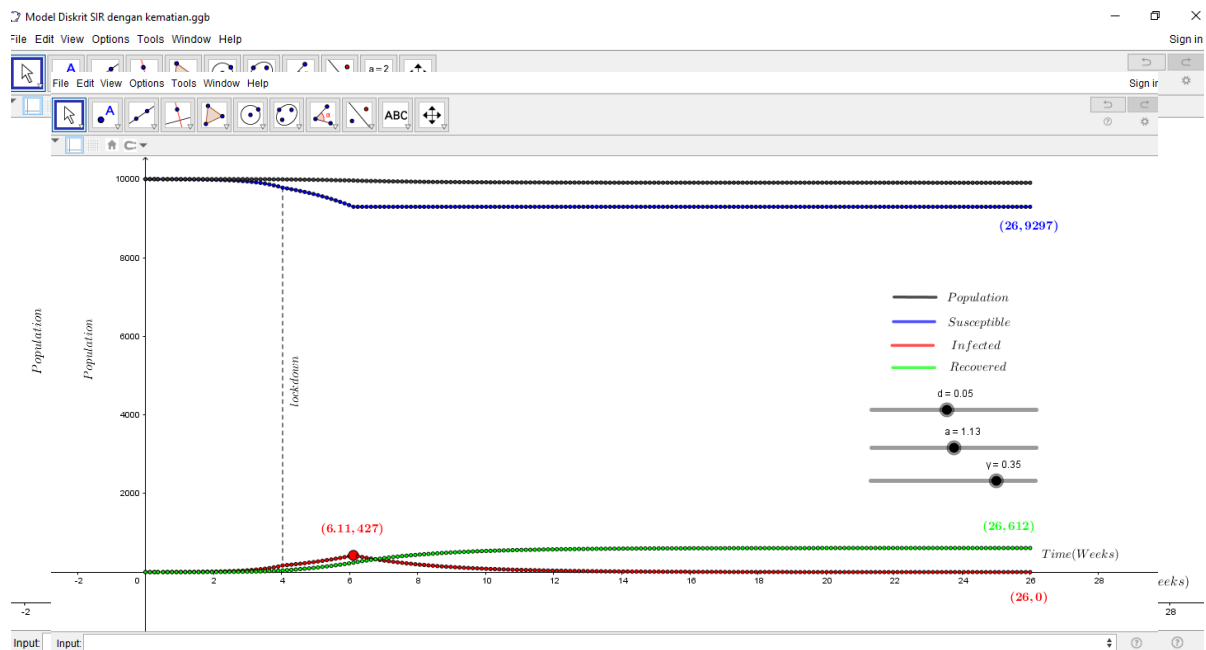
The Lockdown situation is a strategy to reduce the transmission rate to a minimum. Individual mobility is not permitted in this situation, so hope is not contact at all. In this model, lockdown is applied from the 4th week. The virus transmission rate is estimated to drop by 50% after 2 weeks of lockdown and then immediately drop to 0 after the 6th week. This estimate was taken on the grounds that the virus incubation period is 2 weeks. So, for 2 weeks after lockdown there will still be infected individuals who come from the compartment. The model solution with an intervention in the form of a lockdown using GeoGebra can be seen in the following Figure 4 below.

Based on the solution of the model above, information is obtained that a pandemic peak will occur at week 6 with a total of 427 infected individuals out of 100001 the total population. Until the 26th week there were no more individuals infected with Covid-19. Based on the three strategies above, the following is summarized information regarding the spread of Covid-19.

Based on the three conditions above, the following is summarized information regarding the spread of Covid-19 in the following Table 1 below.



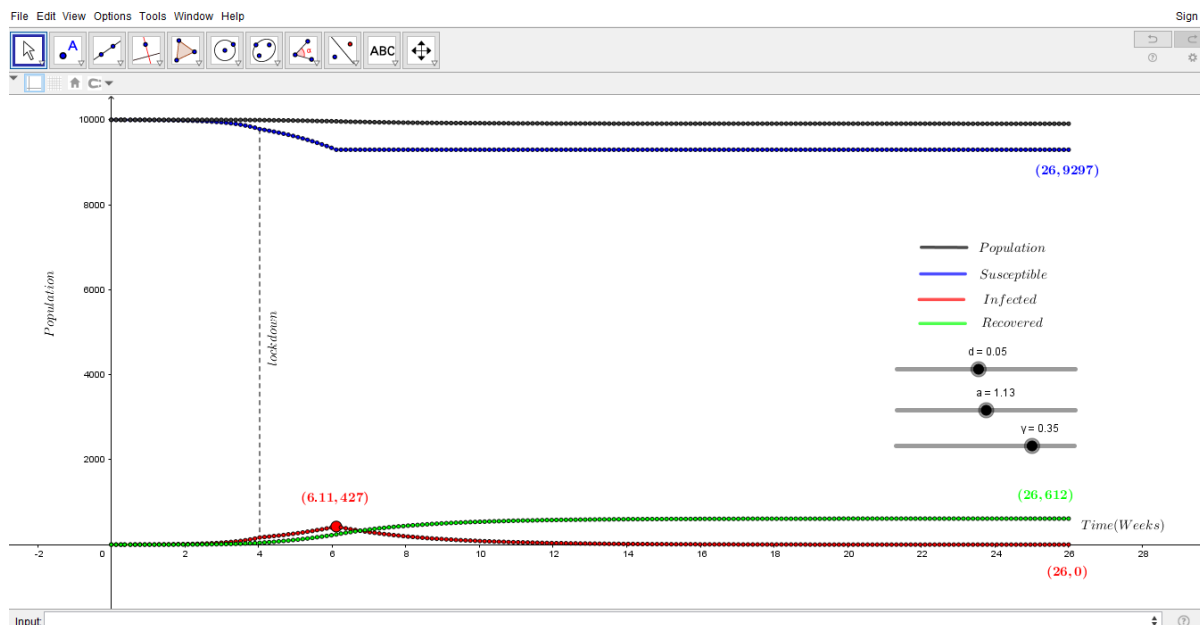
**Figure 2** GeoGebra Applets for normal condition simulation



**Figure 3** GeoGebra Applets for new normal condition simulation

**Table 1** Comparison of simulation results for the three conditions

Conditions	Start (week)	Pandemic peak (weak)	Percentage of Infected
Normal	-	9	46%
New Normal	4	12	21%
Lockdown	4	6	4%



**Figure 4** *GeoGebra Applets for lockdown condition simulation*

From the results of modeling solutions using GeoGebra above, it appears that GeoGebra can be used to determine solutions for modeling the spread of Covid-19 as is the case for flu epidemics in the source [4]. In creating GeoGebra applets to simulate modeling solutions, GeoGebra seems to be heavy on doing calculations in spreadsheets and less practical in copying formulas than Excel. But for graph view and display points in graph GeoGebra is still better than Excel.

The exact solution of the system of differential equations (2) is given by

$$S(t) = S_0 u(t) \quad (5)$$

$$I(t) = \frac{\gamma}{\beta} \ln u(t) - S_0 u(t) + N \quad (6)$$

with  $u(t) = e^{-\frac{\beta}{\gamma} R(t)}$  [7]. Based on these solutions, the comparison of numerical solutions and exact solutions in the Susceptible and Infected compartments is an average of 3% difference.

#### 4. CONCLUSION

From the above discussion, it appears that we can solve the SIR model without going through the exact solution of the differential equation system with a fairly good level of accuracy. The SIR model for Covid-19 distribution can be solved numerically by using *GeoGebra* spreadsheets, by first changing the system of differential equations into systems of difference equations. The next step is to iterate over the spreadsheets available on *GeoGebra*. Iteration is done to see the condition of each compartment in a certain time interval. The final step is to describe the solution of the model in Graph view. Furthermore, by using existing facilities in

*GeoGebra*, *GeoGebra Applets* can be arranged to simulate the dynamics of the system for normal conditions, new normal and lockdown. The simulation with the *GeoGebra Applets* above has been quite heavy and it takes quite a long time to iterate, so for the next more complex system requires a more powerful spreadsheet program.

#### ACKNOWLEDGMENTS

We would like to thank the Sanata Dharma University Research Institute for providing support and research funding in the Covid-19 field.

#### REFERENCES

- [1] Lin, Qianying, dkk. 2020. A Conceptual Model for the Coronavirus Disease 2019 (COVID 19) outbreak in Wuhan, China with Individual Reaction and Governmental Action, *International Journal of Infectious Diseases*, Vol. 93 pp. 211-216.
- [2] Rong. Xinmiao, dkk. 2020. Effect of Delay in Diagnosis on Transimission of COVID-19. *Mathematical Biosciences and Engineering*. 17(3), pp. 2725-2740
- [3] Brauer, Fred, Carlos Castillo-Chavez, dan Zhilan Feng. 2019. *Mathematical Models in Epidemiology*. New York : Springer Science+Bussinnes Media, LLC.
- [4] Jonas Hall, Thomas Lingefjärd. 2017. *Mathematical Modeling : Applications with GeoGebra*. New Jersey : John Wiley & Sons, Inc.

- [5] Liu, Ying et al. 2020. The Reproductive Number of COVID-19 is Higher Compared to SARS Coronavirus. *International Journal of Travel Medicine*. Pp 1-4. Doi : 10.1093/jtm/taaa021.
- [6] van den Driessche P., 2017, Reproduction numbers of infectious disease models, *Infectious Disease Modelling* (2017), doi: 10.1016/j.idm.2017.06.002.
- [7] Harko, T., Lobo, F.S.N., and Mak, M.K. 2014. Exact Analytical Solutions of Susceptible-Infected-Recovered (SIR) Epidemic Model and of the SIR Model with Equal Death and Birth Rate. *arXiv.1043.2160v1*.